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Total No. of Questions:07

B.Sc.(CS) (2013 & Onwards) (Sem.–6) LINEAR ALGEBRA Subject Code : BCS-602 M.Code : 72782

Time: 3 Hrs.

Max. Marks : 60

Total No. of Pages : 02

INSTRUCTIONS TO CANDIDATES :

- 1. SECTION-A is COMPULSORY consisting of TEN questions carrying TWO marks each.
- 2. SECTION-B contains SIX questions carrying TEN marks each and students have to attempt any FOUR questions.

SECTION-A

- Q1 Answer the followings in short :
 - a) Define Groups.
 - b) Define Field.
 - c) Define Vector Spaces.
 - d) Define Linear dependent.
 - e) Define Quotient Space.
 - f) Define Linear Transformations.
 - g) If T is a linear operator on V such that $T^2 T + I = 0$. Prove that T is invertible.
 - h) Define isomorphism.
 - i) Define Nullity of a Matrix.
 - j) If V and W are finite dimensional vector spaces such that dimV = dimW. Then prove that a linear transformation $T: V \rightarrow W$ is one-one iff T is onto.

SECTION-B

- Q2 Prove that the union of two subspaces is a subspace if and only if one of them is contained in other.
- Q3 Write the vector v = (1, -3,5) belongs to the linear space generated by S, where $S = \{(1,2,1), (1,1,-1), (4,5,-2)\}$ or not?
- Q4 State and prove Existence theorem for basis.
- Q5 State and prove Rank-Nullity theorem.
- Q6 Let T be a linear operator on R^2 defined by T(x,y) = (4x 2y, 2x + y) Find the matrix of T relative to the basis $B = \{(1,1); (-1,0)\}$.
- Q7 Prove that the characteristic and minimal polynomials of an operator or a matrix have the same roots except for multiplicities.

NOTE : Disclosure of identity by writing mobile number or making passing request on any page of Answer sheet will lead to UMC case against the Student.